

Subway Ridership and Area Characteristics around Subway Stations in New York City

Hisayoshi Tanaka

Department of Geography, Hunter College, The City University of New York
and

New York City Department of City Planning, Transportation Division

Mailing address: 2 Lafayette Street, Suite 1200

New York, NY 10007

Phone: 212-442-4706

Fax: 212-442-4724

E-mail: htanaka@planning.nyc.gov

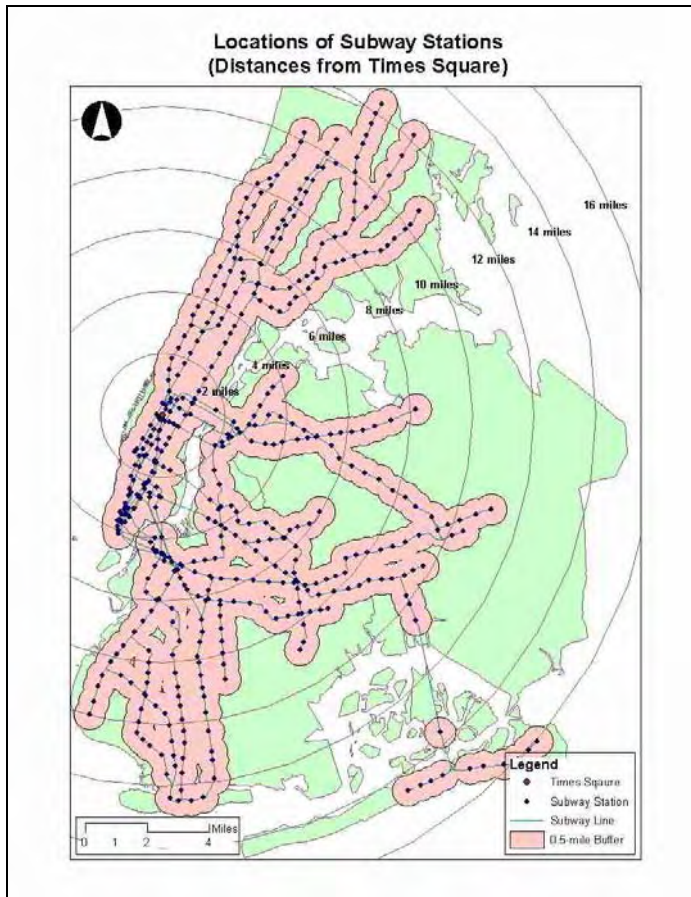
Abstract:

This study is the preliminary summary of a currently ongoing project. The main purpose of the study is to examine how subway ridership and area characteristics around New York City (NYC) subway stations are correlated with each other. Average weekday subway ridership is used in analyses as a dependent variable with various independent variables from the following data categories: socio-economic characteristics, land use characteristics, and demographic characteristics. In addition, this study attempts to examine whether or not a subway station location can be a critical factor when such a correlation is estimated. As factors related to the location of subway stations, the following three variables are included in this study: 1) subway station locations by x- and y-coordinates, 2) distances from the center of the City (Times Square) to subway stations, and 3) distances from tax lots to their nearest subway stations. Analyses are performed with the following methodologies: 1) Ordinary Least Squares (OLS) linear regression and 2) Geographically Weighted Regression (GWR). OLS with the stepwise method identifies some influential variables to subway ridership. GWR is performed with these variables selected by OLS as well as a variable which represents subway station locations. The results of both methods are compared. As a result, GWR seems to reduce spatial non-stationarity.

1. Introduction:

Areas around subway stations (station areas) are often centers of all kinds of activities. For instance, people go to subway stations to use the subway/buses, or they go to station areas to do shopping. There is no doubt that the existence of subway station in a certain area provides people living nearby with more mobility and business opportunities. People also seem to consider the accessibility to public transportation as one of the most important factors when they look for a place to live. Thus, convenience will create additional intangible value to their lifestyles. Moreover, economic impacts caused by such convenience would not be only limited to that particular area. The impacts definitely go beyond a boundary of that area and even they will become vital to support a regional economic growth. Knowing the mechanism of how transportation would interact with non-transportation issues such as zoning, demographic distribution, etc. would be necessary to pursue in the continuous development of the entire region.

The primary attempt of this study is to analyze how subway ridership and conditions of station areas are correlated each other in New York City (NYC) with using one of Geographically Weighted Regression (GWR) software packages.¹ Station areas for this study are defined areas which are within 0.50-mile buffers created around the subway stations, although the areas beyond this criterion could be still, somehow, influential to subway ridership (see Map1). However, a buffer size is determined, based on the concept of a “reasonable” walk distance. All relevant information to describe the station areas was gotten from various sources and a database was created to facilitate data manipulation.



Map 1: Locations of Subway Stations and Buffered Areas

There are over 400 subway stations in NYC. The dataset for this study consists of statistics such as socio-economic, demographic, and land use data from station areas of over 400 subway stations. Each subway station is indexed by a distance from Times Square (the center of the city) and tax lots around subway stations are also indexed, based on distances from the nearest subway stations.² In this way, the data would be analyzed in a two-dimensional way in terms of distances.

However, as the study went on, I realized that analyses on the entire NYC (excluding Staten Island) would have to deal with a huge dataset that easily exceeds the capacity of the GWR software package. Therefore, I aggregated the data to a reasonable size, based on the distances between tax lots and their nearest subway stations. A data aggregation process will be discussed in the following section, Data Aggregation.

2. Data and Software:

Data used for this study are of four kinds: transportation related data, socio-economic data, demographic data, and land use data. The details of each data are as follows:

Transportation related data:

- Average weekday subway ridership in year 2000.
- Subway station's geographic information (x, y-coordinates of subway station locations).³

Socio-economic data:

- Medium household income.

Demographic data:

- Total population.

Land use data (see Table 1):

- Lot area for each land use category (One & Two Family Buildings, Multi-Family Walkup Buildings, Multi-Family Elevator Buildings, Mixed Residential and Commercial)

Buildings, Commercial and Office Buildings, Industrial and Manufacturing, Transportation and Utility, Public Facilities and Institutions, Open Space and Outdoor Recreation, Parking Facilities, Vacant Land, and Unknown)

Table 1: Types of Land Use

Land Use Codes	Decodes
LU01	One & Two Family Buildings
LU02	Multi-Family Walk-up Building
LU03	Multi-Family Elevator Building
LU04	Mixed Residential and Commercial Buildings
LU05	Commercial and Office Buildings
LU06	Industrial and Manufacturing
LU07	Transportation and Utility
LU08	Public Facilities and Institutions
LU09	Open Space and Outdoor Recreation
LU10	Parking Facilities
LU11	Vacant Land
LU12	Unknown

Note: Originally, no land use codes are assigned to tax lots whose categories are not identified. For a database creation purpose, “LU12: Unknown” is assigned to those tax lots.

Subway ridership data are gotten from the MTA New York City Transit (MTA NYCT) report, *Subway and Bus Ridership Report 2003*. US Census data are used for socio-economic and demographic information. As for land use information, the data are gotten from the Primary Land Use Tax Lot Output (PLUTO) data files, which are developed by the NYC Department of City Planning (NYCDCP).⁴

Based on the above available data, the following variables are created for further analyses.

- Average weekday subway ridership in year 2000 (AvgWkd00: persons)
- X-coordinate of subway station location (Long)
- Y-coordinate of subway station location (Latit)
- Distance from Time Square to each subway station (Dis_TS: miles)
- Distance from the nearest subway station to tax lot (Dis_ST: miles)
- Reciprocal of distance from the nearest subway station to tax lot (i_Dis_ST)
- Land use ratio (%) for each land use category (LU01, LU02, LU03, LU04, LU05, LU06, LU07, LU08, LU09, LU10, LU11, and LU12)
- Medium Household Income (MHHoldInc: dollars)
- Population Density (Den: persons per Mi²)

Various software packages used for this study are SPSS and GWR3.0 for statistical work and ArcInfo for data organization and visualization.

3. Data Aggregation:

As shown in Table 2, there are approximately 400,000 tax lots in the 0.50-mile buffered areas around subway stations. Since the GWR software has the limitation on the number of observations that it can deal with, the following data aggregation process was taken to reduce the number of observations.

Table 2: Numbers of Tax Lots in Each Borough

Borough	Number of Tax Lots
Manhattan	42,886
Bronx	58,692
Brooklyn	209,391
Queens	103,968
NYC (excluding Staten Island)	414,937

Note: *Tax lots without x-y coordinates and sufficient information are excluded.

As the first step, tax lots which are located within the 0.5-mile buffered areas are selected from the entire PLUTO database. As long as the centroid of each tax lot is included in this buffered area, the entire tax lot, regardless of its size, is considered to belong to the buffered area. Then, distances between all tax lots (centroid of tax lot) and their nearest subway stations (x, y-coordinates of subway station location) are measured by ArcInfo. Based on the distances, tax lots are assigned to their nearest subway stations. Those allocated tax lots are also categorized into one of the following ring buffered areas, based on the distances:

- Ring 1: all tax lots within the area between 0.00 and 0.10 miles from each station.
- Ring 2: all tax lots within the area between 0.10 and 0.20 miles from each station.
- Ring 3: all tax lots within the area between 0.20 and 0.30 miles from each station.
- Ring 4: all tax lots within the area between 0.30 and 0.40 miles from each station.
- Ring 5: all tax lots within the area between 0.40 and 0.50 miles from each station.

Table 3 shows how many tax lots are included in each ring.

Table 3: Numbers of Tax Lots in NYC (Ring Buffer)

Borough	Ring Buffer Size (Miles)					Total
	0.0-0.1	0.1-0.2	0.2-0.3	0.3-0.4	0.4-0.5	
Manhattan	8,878	18,630	10,367	3,284	1,727	42,886
Bronx	5,167	15,993	16,230	11,850	9,452	58,692
Brooklyn	23,405	64,048	62,121	38,165	21,652	209,391
Queens	9,075	25,383	27,118	22,199	20,193	103,968
Total	46,525	124,054	115,836	75,498	53,024	414,937

Afterwards, attributes attached with tax lots assigned to each subway station are aggregated on a Ring-by-Ring basis. For instance, the 68th - Hunter College station on the Lexington line initially has 88, 267, 288, 113, and 79 tax lots for Rings 1, 2, 3, 4, and 5, respectively (see Table 4).

Table 4: Numbers of Tax Lots assigned to the 68th - Hunter College Station

68th - Hunter College Station	
Ring	Numbers of Tax Lots
1	88
2	267
3	288
4	113
5	79
Total	835

Table 5: Numbers of Subway Stations assigned to Each Ring

Ring	Numbers of Subway Stations
1	468
2	466
3	435
4	363
5	296
Total	2,028

One representative figure for each Ring is created from tax lots selected for each Ring. Through this aggregation process, land use ratios are calculated - they express how large (in terms of percentage) each land use category is in each Ring. In the similar fashion, medium household income and population density for each Ring are also calculated.

As a result of the aggregation process, data from approximately 400,000 tax lots are shrunk into 2,028 observations (see Table 5). They are used for analyses of this study.

4. Assumptions:

Before analyses, the following assumptions are made:

- Subway ridership at a particular subway station is influenced by the only attributes whose tax lot is assigned to that subway station - there are no tax lots which can be influential to two or more subway stations.
- To measure distances between subway stations and tax lots, Euclidean distances are applied to two geocoded points: the location of subway station and the centroid of tax lot. Regardless of the size of tax lots, distances are simply dependent on those two points.
- To simplify, tax lots included in a particular Ring are considered to have the same distance from their nearest subway station. The distance is the simple average of all distances assigned to tax lots in the Ring under consideration.
- Population and medium household income are aggregated on a Ring-to-Ring basis and these statistics are assumed to be uniformly distributed in each Ring.

5. Results:

As the first attempt, ordinary regression analysis with the stepwise method was performed to reduce the number of variables. This task was done by SPSS. As the second step, the GWR software package was used to see how a geographical factor (location of subway stations) would change the results by the ordinary regression. Only those variables selected by the process of the stepwise method were included in this analysis.

Basic descriptive statistics for all used variables are summarized in Tables 6-1 and 6-2.

Table 6-1: Descriptive Statistics for Land Use Variables

Land Use Code	N	Minimum	Maximum	Mean	Std. Deviation
LU01	2,028	.0000	100.0000	20.707094	22.8560242
LU02	2,028	.0000	100.0000	14.671567	13.9523973
LU03	2,028	.0000	100.0000	11.416721	16.6685784
LU04	2,028	.0000	100.0000	8.652294	11.2299185
LU05	2,028	.0000	100.0000	10.662634	18.1543552
LU06	2,028	.0000	100.0000	6.588207	14.0729379
LU07	2,028	.0000	100.0000	3.893978	11.0233911
LU08	2,028	.0000	100.0000	9.444404	13.6907174
LU09	2,028	.0000	100.0000	5.661601	16.2507951
LU10	2,028	.0000	69.7395	2.898807	5.0893895
LU11	2,028	.0000	100.0000	4.553136	10.2716258
LU12	2,028	.0000	100.0000	.800248	4.5188265
Valid N (listwise)	2,028				

Table 6-2: Descriptive Statistics for Non-Land Use Variables

	N	Minimum	Maximum	Mean	Std. Deviation
AvgWkd00	2,028	78	153,505	12,458.79	20,488.638
Den	2,028	.0000	217,136.4195	52,025.367068	33,661.7807828
Dis_TS	2,028	.0792	16.0631	6.343591	3.3417342
Dis_ST	2,028	.0000	.4639	.215809	.1268741
I_Dis_ST	2,027	2.1558	63.1900	7.572163	6.1920386
MHHoldInc	2,028	.00	143,438.67	38,987.2896	19,879.91491
Valid N (listwise)	2,027				

Average weekday subway ridership in year 2000 (AvgWkd00) was used as a dependent variable, while other variables were included in a regression equation as independent variables. The equation for the ordinary regression is as follows:

$$\text{AvgWkd00} = \alpha_0 + \sum \alpha_i * \text{LU}_i + \alpha_{13} * \text{Den} + \alpha_{14} * \text{Dis_TS} + \alpha_{15} * \text{i_Dis_ST} + \alpha_{16} * \text{MHHoldInc}$$

where $i = 1$ to 12.

The results of the ordinary regression analysis with the stepwise method are summarized in Tables 7 and 8.

The stepwise method selects seven variables among many as significantly influential variables to subway ridership. The results show that subway ridership is positively correlated to Commercial and Office Buildings land use (LU05), medium household income (MHHoldInc), and population density (Den), while it is negatively correlated to Industrial and Manufacturing and Multi-Family Walk-up Buildings land uses (LU06 and LU02, respectively), distance from the center (Dis_TS), and the reciprocal of distance from subway station (i_Dis_ST) (see Table 8). The details are as follows:

- One-percent increase in a size of the Commercial and Office Buildings land use (LU05) may result in 422-person increase in subway ridership.
- One-percent increase in a size of the Industrial and Manufacturing land use (LU06) may result in 110-person decrease in subway ridership.

- One-percent increase in a size of the Multi-Family Walk-up Buildings land use (LU02) may result in 144-person increase in subway ridership.
- 100-dollar increase in medium household income (MHHoldInc) may result in 101-person increase in subway ridership.
- 100-person increase in density (Den) may result in 27-person increase in subway ridership.
- One-mile increase in distance from Times Square (Dis_TS) may result in 2,034-person decrease in subway ridership.
- One increase in the reciprocal of distance from each subway station (i_Dis_ST) may result in 316-person decrease in subway ridership. This can be interpreted as follows: a tax lot located closer to a subway station may have some potential to generate more subway ridership.

Table 7: Results of Ordinary Regression Analysis with Stepwise Method (Model Summary)

Model	R	R Square	Adjusted R Square	Std. Error of the Estimate
1	.498	.248	.247	17,779.938
2	.600	.360	.359	16,404.362
3	.610	.372	.371	16,257.718
4	.615	.378	.377	16,172.360
5	.619	.383	.381	16,117.369
6	.624	.390	.388	16,031.575
7	.625	.391	.389	16,018.003

Table 8: Results of Stepwise Method (Coefficients)

Model		Unstandardized Coefficients		Standardized Coefficients	t	Sig.
		B	Std. Error	Beta		
1	(Constant)	6,464.011	458.060		14.112	.000
	LU05	561.654	21.755	.498	25.817	.000
2	(Constant)	21,468.495	901.699		23.809	.000
	LU05	439.344	21.096	.389	20.826	.000
	Dis_TS	-2,159.117	114.618	-.352	-18.837	.000
3	(Constant)	15,502.867	1,320.284		11.742	.000
	LU05	406.440	21.584	.360	18.831	.000
	Dis_TS	-1,929.822	119.578	-.315	-16.139	.000
	MHHoldInc	.125	.020	.121	6.138	.000
4	(Constant)	17,352.674	1,370.247		12.664	.000
	LU05	447.867	23.185	.397	19.317	.000
	Dis_TS	-1,925.184	118.955	-.314	-16.184	.000
	MHHoldInc	.123	.020	.120	6.102	.000
	i_Dis_ST	-299.505	63.266	-.090	-4.734	.000
5	(Constant)	19,177.481	1,445.510		13.267	.000
	LU05	440.567	23.184	.390	19.003	.000
	Dis_TS	-2,044.580	122.539	-.333	-16.685	.000
	MHHoldInc	.116	.020	.112	5.733	.000
	i_Dis_ST	-304.072	63.062	-.092	-4.822	.000
	LU06	-101.385	26.335	-.070	-3.850	.000
6	(Constant)	23,006.494	1,647.272		13.966	.000
	LU05	411.204	23.870	.364	17.227	.000
	Dis_TS	-2,149.844	123.874	-.351	-17.355	.000
	MHHoldInc	.098	.020	.095	4.783	.000
	i_Dis_ST	-300.419	62.731	-.091	-4.789	.000
	LU06	-134.828	27.119	-.093	-4.972	.000
	LU02	-132.948	27.911	-.091	-4.763	.000
7	(Constant)	20,767.691	1,960.044		10.596	.000
	LU05	421.887	24.385	.374	17.301	.000
	Dis_TS	-2,033.680	135.532	-.332	-15.005	.000
	MHHoldInc	.101	.021	.098	4.917	.000
	i_Dis_ST	-316.481	63.142	-.096	-5.012	.000
	LU06	-110.211	29.516	-.076	-3.734	.000
	LU02	-143.921	28.371	-.098	-5.073	.000
	Den	.027	.013	.044	2.103	.036

a Dependent Variable: AvgWkd00

These selected variables were used for the GWR analysis. The equation used for this task was as follows:

$$\text{AvgWkd00} = \alpha_0 + \alpha_2 * \text{LU}_2(g) + \alpha_5 * \text{LU}_5(g) + \alpha_6 * \text{LU}_6(g) + \alpha_{13} * \text{Den}(g) + \alpha_{14} * \text{Dis_TS}(g) + \alpha_{15} * \text{i_Dis_ST}(g) + \alpha_{16} * \text{MHHoldInc}(g)$$

where (g) is a location factor.

The results of the GWR analysis are available in Appendix A. Table 9 shows the results of the global regression model extracted from Appendix A. These results are very much similar to those by SPSS (see Tables 8 and 9).

Table 9: Results of Global Model and Median Values for Each Parameter by GWR

	Global Model			GWR		
	Estimate	Std Err	T	Minimum	Median	Maximum
(Constant)	20,754.495	1,958.733	10.596	-81,333.694	3,680.829	171,899.353
LU02	-143.799	28.359	-5.071	-2,749.263	-27.756	597.085
LU05	422.081	24.364	17.324	-106.641	81.302	778.996
LU06	-109.990	29.493	-3.729	-2,606.386	-15.219	2,664.846
Den	.027	.013	2.114	-.360	.032	.507
i_Dis_ST	-316.220	63.117	-5.010	-1,905.659	-64.996	771.061
Dis_TS	-2,032.777	135.442	-15.008	-99,834.947	-38.183	32,770.283
MHHoldInc	.101	.020	4.913	-1.506	.025	1.334

However, if a location factor is included in the analyses, the results are improved. For instance, the value of Akaike Information Criterion (AIC) was 45,032 for the global model, while it reduced to 43,639 for the GWR model. In the same way, adjusted R^2 is also improved dramatically from 0.39 (global model) to 0.74 (GWR model) (see Table 10). The results of ANOVA show that F-test rejected the null hypothesis, H_0 : OLS and GWR are the same (see Table 11).

Table 10: Summary of Test Statistics

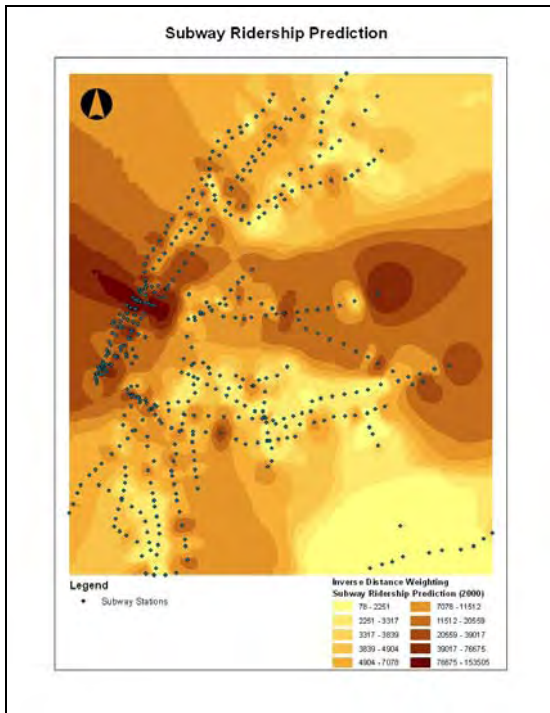
	Global Regression	GWR (Estimation)
Residual sum of squares	518,041,208,578.980220	184,499,406,907.040100
Effective number of parameters	8.000000	304.067787
Sigma	16,014.245029	10,345.164356
Akaike Information Criterion	45,032.372844	43,639.144286
Coefficient of Determination	.391186	.783172
Adjusted R-square	.388774	.744906

Table 11: ANOVA

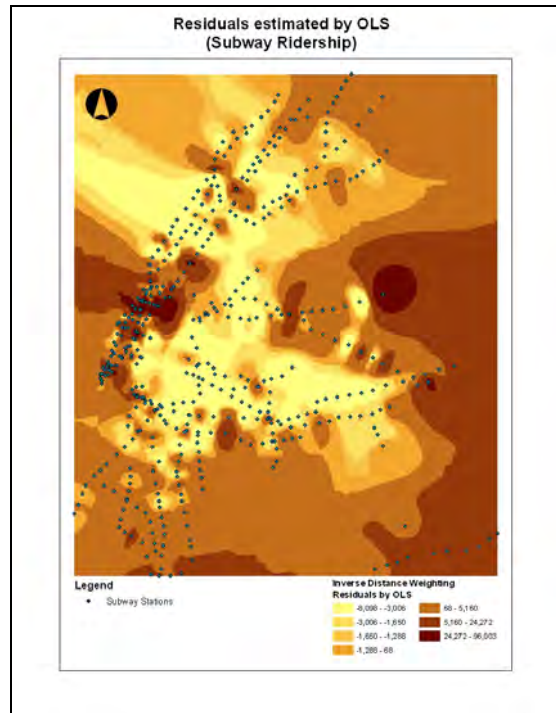
Source	SS	DF	MS	F
OLS Residuals	518,041,208,579.0	8.00		
GWR Improvement	333,541,801,984.0	296.07	1,126,572,415.6467	
GWR Residuals	184,499,406,907.0	1723.93	107,022,425.5424	10.5265

Although test statistics were improved by GWR, the results of GWR may not be easily interpreted because estimated values for parameters are given in ranges, which are defined by minimum, median, and maximum (see Table 9).

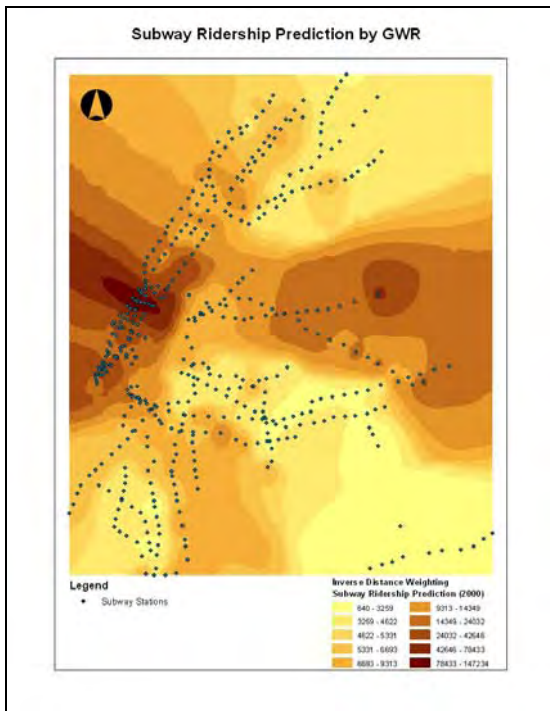
Subway ridership predicted by GWR (used Inverse Distance Weighting with the optimized power value to visualize (IDW Opt), Map 4) seems to be more smoothed out, compared with one predicted with the original subway ridership by IDW Opt (Map 2), although both maps seem to have similar patterns. Since both maps do not have the same scales of contours, it cannot be easily compared. However, those maps, at least, would imply that higher subway ridership is expected in areas such as Midtown (Manhattan) and Flushing (Queens). Map 2 shows that there are also a couple of areas in the Bronx and Brooklyn, where a large volume of subway ridership is expected. The original subway ridership data seem to be noisy with spatial non-stationarity. In fact, based on residuals estimated by OLS, a residual map is created by IDW Opt to observe the existence of spatial non-stationarity (Map 3).



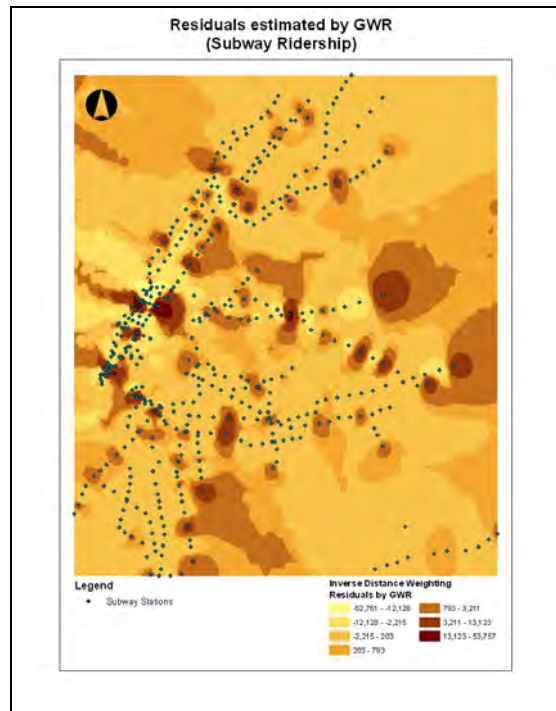
Map 2: Predicted Subway Ridership by OLS



Map 3: Residuals estimated by OLS



Map 4: Predicted Subway Ridership by GWR



Map 5: Residuals estimated by GWR

After area characteristics are included in the analyses, those areas with higher subway ridership than other station areas seem to be merged into their neighborhoods and almost phased out (Map 4). The residual map for the GWR model is also created (Map 5). Map 5 shows that GWR

seems to reduce spatial non-stationarity because areas with larger residuals are more likely distributed in the entire NYC randomly.

Due to differences in scales of contours on Maps 3 and 5, it is not easy to compare residuals on both maps. However, both maps would be sufficient to show which case is more contaminated with spatial non-stationarity.

6. Conclusions:

The purpose of this study is to examine how subway ridership and characteristics of station areas are correlated with each other. Average weekday subway ridership is used in the analyses as a dependent variable with various independent variables from the following data categories: socio-economic characteristics, land use characteristics, and demographic characteristics.

The OLS regression analysis with the stepwise method was initially performed to eliminate insignificant variables from a full model regression equation. It was able to identify some variables which would be more influential to subway ridership. These identified variables were used for the GWR analysis. They are as follows: Multi-Family Walk-up Buildings land use (LU02), Commercial and Office Buildings land use (LU05), Industrial and Manufacturing land use (LU06), medium household income (MHHoldInc), population density (Den), distance from the center (Dis_TS), and distance from subway station (i_Dis_ST).

The results point out that land use characteristics around station areas (especially, how much station areas are designated to Commercial and Office Buildings land use) seem to play more important roles to estimate subway ridership. If station areas are highly designated to Commercial and Office Buildings land use, subway stations in such station areas seem to be able to generate more subway ridership. Even compared with other variables, Commercial and Office Buildings land use seems to be the variable which can influence subway ridership more effectively. Higher medium household income also seems to result in more subway ridership. However, since the level of income is solely used as a socio-economic condition in this study, this result might not be sufficient to support that the richer use more public transportation. Rather, the result may imply that wealthy neighborhoods (areas dominated by people with higher income) may be more attractive to many. Therefore, even people who do not live nearby may come over to such neighborhoods. As a result, subway stations located nearby wealthy neighborhoods have higher subway ridership. There might be some room to think that the subway may be used by all kinds of people, regardless of their social statuses (the subway could be the real *public* transportation to all the New Yorkers). However, this study did not include any variables to examine such a hypothesis.

In this study, data are collected from areas buffered with the 0.5-mile radius around each subway station. The buffered areas were further broken down into five Rings. However, there is some room for a discussion whether the 0.5-mile radius for station areas and the 0.1-mile width for Rings were enough sizes to catch all activities around subway stations and to display trends in station areas. Data from much wider buffered areas or narrower ring buffered areas may lead to different results. To solve this problem, a further analysis will be required.

At last, as seen in Map 3, it is obvious that the original subway ridership data themselves are contaminated with spatial non-stationarity. Huge spikes of residuals are observed in areas such as Midtown Manhattan, Lower Manhattan, and Flushing (Queens). However, GWR with area characteristic variables successfully reduces spatial non-stationarity (Map 5).

¹ The software used for Geographically Weighted Regression is called GWR3.0, which is developed by Martin Charlton, Stewart Fotheringham, and Chris Brunsdon. A user manual is available at the following web address: <http://www.ncrm.ac.uk/publications/methodsreview/MethodsReviewPaperNCRM-006.pdf>

² It is assumed in this study that Times Square is the center of the city. Reasons why Times Square is chosen are that Times Square is accessible by the most subway lines and that it is actually the center of business activities. Distances between subway stations and this alleged center are measured and used for the further analyses.

³ GIS shapefiles for subway stations and lines, created in 2002, are used to obtain necessary geographic data for this study.

⁴ The Primary Land Use Tax Lot Output (PLUTO) data files contain over 70 data fields derived from extracts of mainframe data files maintained by NYC Department of City Planning (NYCDCP) and other agencies. The PLUTO data files consist of the following four basic types of data: 1. tax lot characteristics, 2. building characteristics, 3. geographic/political/administrative districts, and 4. geographic fields formatted for use with NYCDCP geographic mapping files.

Appendix A Results of GWR Analysis

```

** Dependent (y) variable.....AvgWkd00
** Easting (x-coord) variable.....LONG
** Northing (y-coord) variable.....LATIT
** No weight variable specified
** Independent variables in your model...
  LU02   LU05   LU06   Den   i_Dis_ST Dis_TS  MHHoldInc
** Kernel type: Adaptive
** Kernel shape: Bi-Square
** Bandwidth selection by AICc minimisation
** Use all regression points
** Calibration history requested
** Prediction report requested
** Output estimates to be written to .e00 file
** No significance test for spatial variation
** Casewise diagnostics to be printed

*** Analysis method ***
*** Geographically weighted multiple regression
** Cartesian coordinates: Euclidean Distance
*****
*
*      GEOGRAPHICALLY WEIGHTED GAUSSIAN REGRESSION      *
*
*****
Number of data cases read: 2028
Observation points read...

Dependent mean= 12458.7539
Number of observations, nobs= 2028
Number of predictors,  nvar= 7
Observation Easting extent:  274955.
Observation Northing extent: 326690.
*Finding bandwidth...
  ... using all regression points
This can take some time...
*Calibration will be based on 2028 cases
*Adaptive kernel sample size limits: 101 2028
*AICc minimisation begins...
      Bandwidth              AICc
1696.475749365000          44482.788057697122
1064.500000000000          44631.008373585377
1469.024253328291          44380.384917708659

```

```

328.451497701254      44277.098983414173
241.572756655782      44177.393814528703
187.878741681272      44091.034844997557
154.694015367456      43977.384144314114
134.184726556670      43872.130409869183
121.509288960878      43756.023636277117
113.675437688554      43673.485368321548
108.833851329654      43628.787315235670
105.841586394333      43606.036396112904
103.992264957219      43568.945507202399

```

```

** Convergence after 13 function calls
** Convergence: Local Sample Size= 104

```

```

*****
* GLOBAL REGRESSION PARAMETERS *
*****

```

```

Diagnostic information...
Residual sum of squares..... 518041208578.980220
Effective number of parameters.. 8.000000
Sigma..... 16014.245029
Akaike Information Criterion... 45032.372844
Coefficient of Determination... 0.391186
Adjusted r-square..... 0.388774

```

Parameter	Estimate	Std Err	T
Intercept	20754.494953946290	1958.732924633875	10.595877647400
LU02	-143.799111228895	28.359445415887	-5.070589542389
LU05	422.081497367482	24.364280370032	17.323781967163
LU06	-109.990288040628	29.493190877368	-3.729345083237
Den	0.026924642148	0.012736748416	2.113933801651
i_Dis_ST	-316.220339622047	63.116621445867	-5.010096073151
Dis_TS	-2032.777268683483	135.442173689481	-15.008451461792
MHHoldInc	0.100694997855	0.020496914902	4.912690639496

```

*****
* GWR ESTIMATION *
*****

```

```

Fitting Geographically Weighted Regression Model...
Number of observations..... 2028
Number of independent variables... 8
(Intercept is variable 1)
Number of nearest neighbours..... 104
Number of locations to fit model.. 2028

```

```

Diagnostic information...

```

Residual sum of squares..... 184499406907.040100
 Effective number of parameters.. 304.067787
 Sigma..... 10345.164356
 Akaike Information Criterion... 43639.144286
 Coefficient of Determination.... 0.783172
 Adjusted r-square..... 0.744906

 * ANOVA *

Source	SS	DF	MS	F
OLS Residuals	518041208579.0	8.00		
GWR Improvement	333541801984.0	296.07	1126572415.6467	
GWR Residuals	184499406907.0	1723.93	107022425.5424	10.5265

 * PARAMETER 5-NUMBER SUMMARIES *

Label	Minimum	Lwr Quartile	Median	Upr Quartile	Maximum
Intrcept	-81333.693907	-3019.579495	3680.828718	14035.759554	171899.353327
LU02	-2749.263137	-74.553194	-27.756116	6.845055	597.084750
LU05	-106.641006	32.718527	81.301696	202.110722	778.996344
LU06	-2606.386092	-63.943464	-15.219386	23.165072	2664.846337
Den	-0.360307	0.005514	0.032245	0.085798	0.507218
i_Dis_ST	-1905.658593	-211.833740	-64.995591	-14.689082	771.060504
Dis_TS	-99834.947116	-1574.989067	-38.183341	1041.620627	32770.282954
MHHoldInc	-1.506462	-0.043657	0.024525	0.127357	1.334036

Label	<----- LOWER ----->				----- UPPER ----->			
	Far Out	Outer Fence	Outside	Inner Fence	Inner Fence	Outside	Outer Fence	Far Out
Intrcept	29	-54185.596642	63	-28602.588069	39618.768127	84	65201.776701	111
LU02	185	-318.747940	67	-196.650567	128.942428	34	251.039801	41
LU05	0	-475.458057	0	-221.369765	456.199014	69	710.287306	7
LU06	126	-325.269074	102	-194.606269	153.827877	93	284.490682	120
Den	43	-0.235337	75	-0.114911	0.206223	52	0.326648	80
i_Dis_ST	61	-803.267714	116	-507.550727	281.027905	46	576.744893	35
Dis_TS	152	-9424.818149	44	-5499.903608	4966.535168	69	8891.449709	73
MHHoldInc	79	-0.556700	42	-0.300179	0.383879	76	0.640400	36